

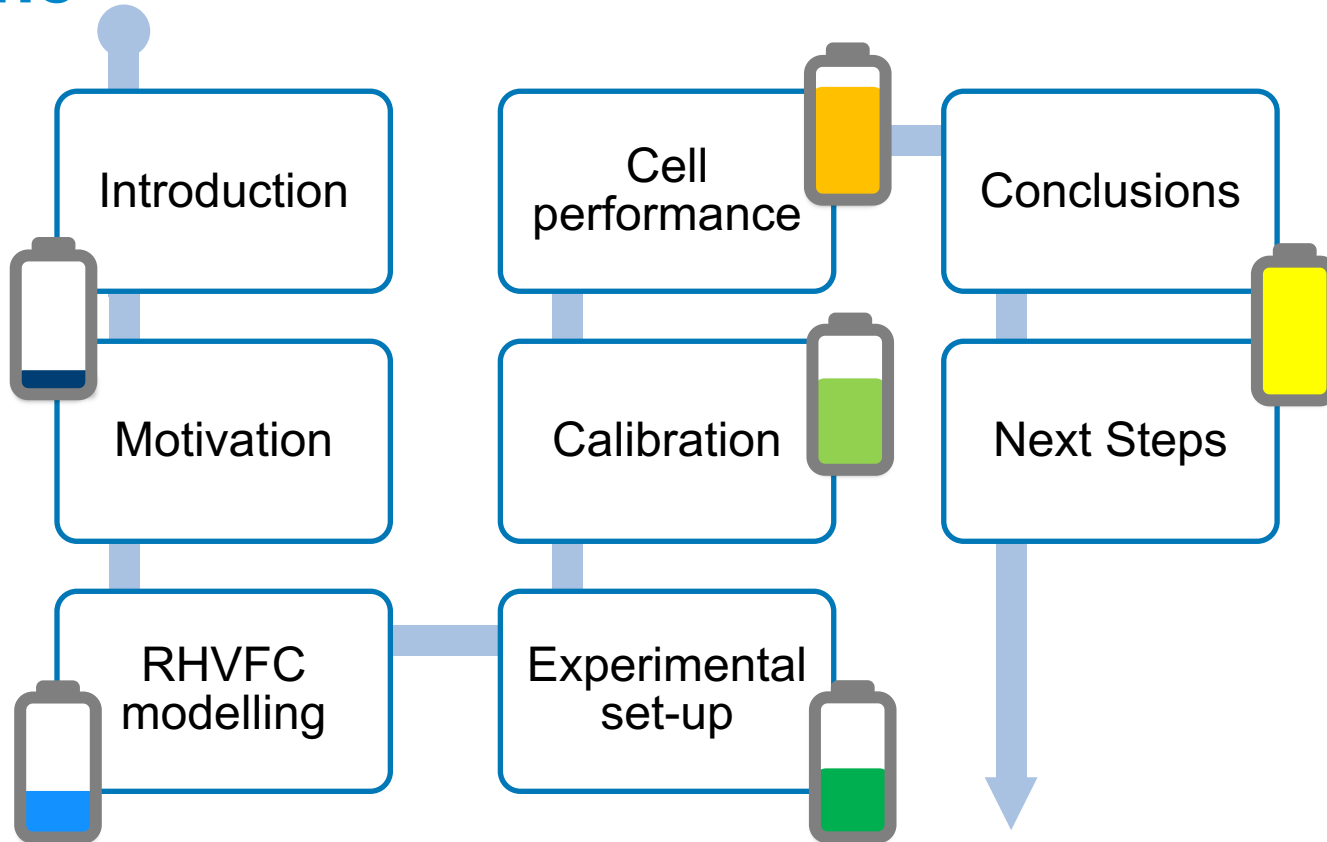
Characterisation of a RHVFC using an experimentally validated unit cell model

Catalina A. Pino Muñoz

Department of Earth Science and Engineering, Imperial College London

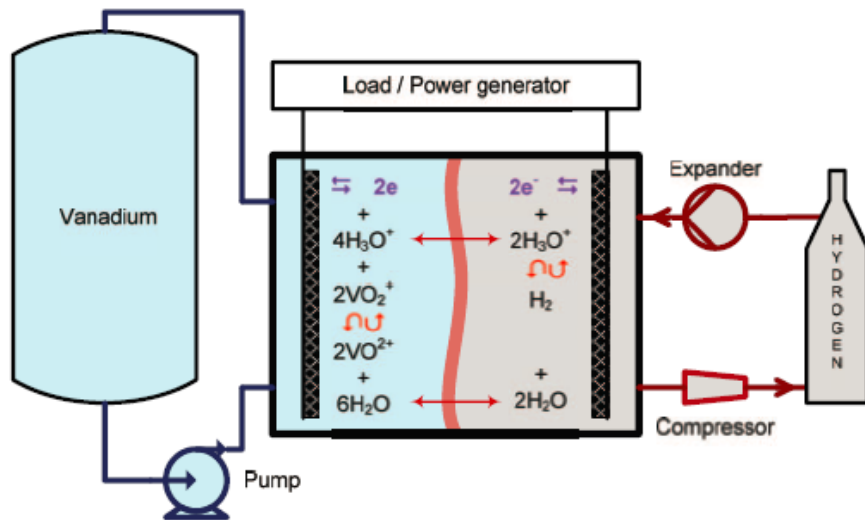
March 12th, 2019

Outline

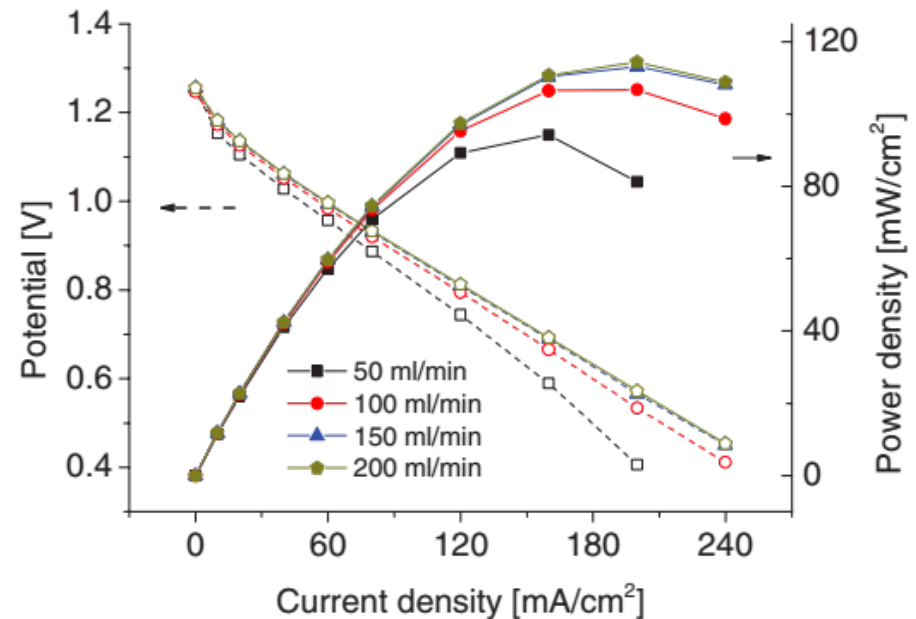




Regenerative Hydrogen-Vanadium Fuel Cell (RHVFC)



- Fast hydrogen kinetics
- Absence of cross-mixing
- Precious metal catalyst – HOR/HER
- Expertise on PEMFCs

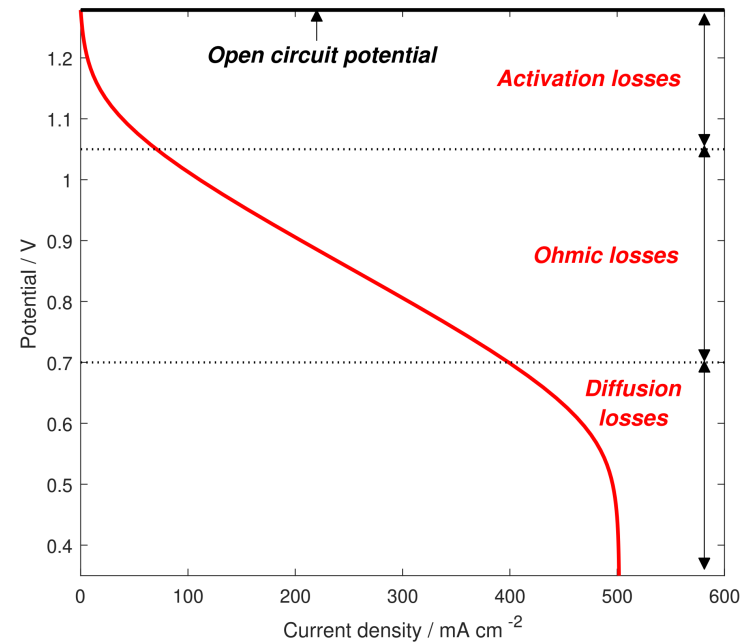


- Carbon paper electrode SGL 10AA
- Nafion 117
- SGL GDL, 0.5 mg Pt cm⁻²



Motivation

- Unit cell model that can capture the potential dynamics of the cell and allow quick evaluation
- Recognise the dominant processes that affect the cell performance

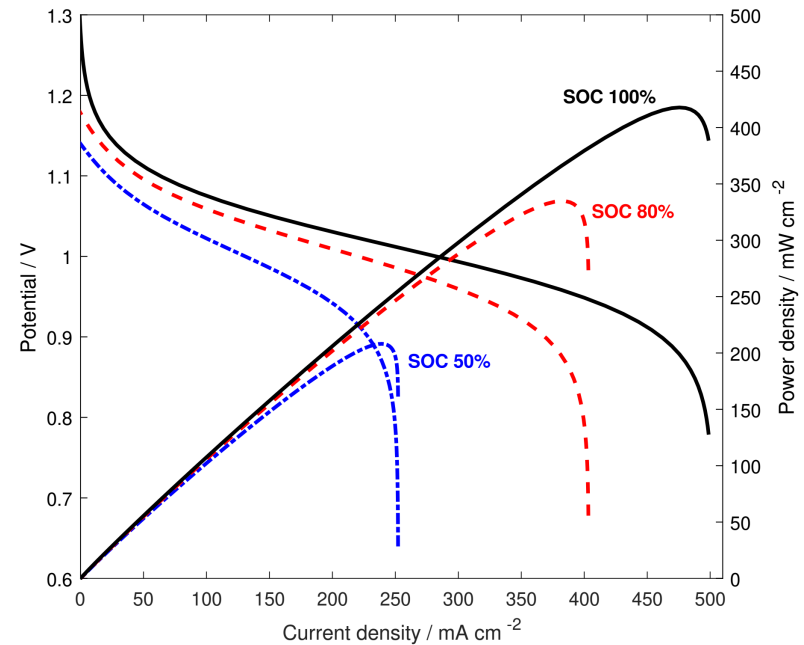


C. A. Pino-Muñoz, B. K. Chakrabarti, V. Yufit, and N. P. Brandon, Characterisation of a regenerative hydrogen-vanadium fuel cell using an experimentally validated unit cell model, *Journal of The Electrochemical Society* (Submitted)



Motivation

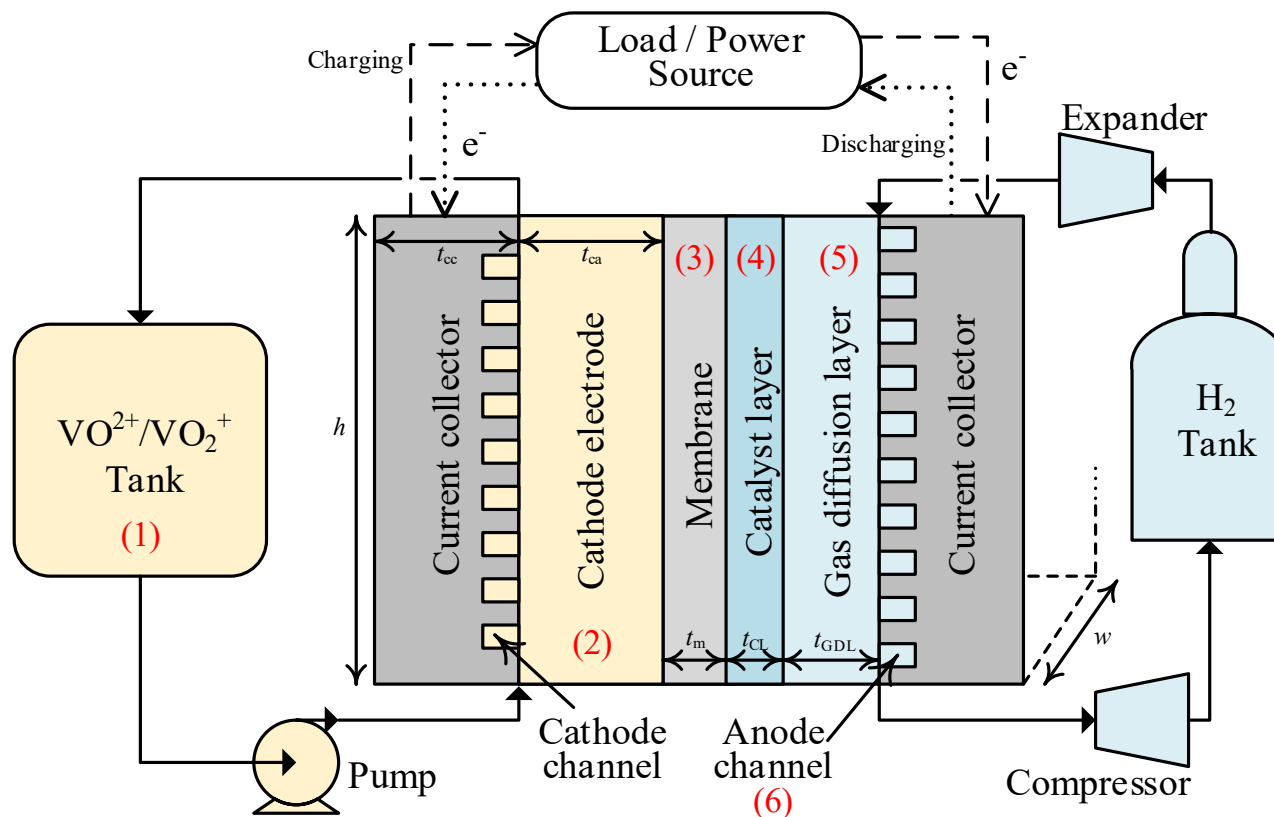
- Unit cell model that can capture the potential dynamics of the cell and allow quick evaluation
- Recognise the dominant processes that affect the cell performance
- Evaluate different operating conditions



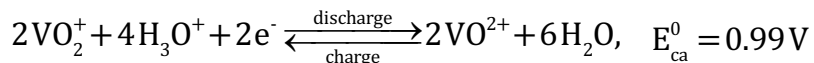
C. A. Pino-Muñoz, B. K. Chakrabarti, V. Yufit, and N. P. Brandon, Characterisation of a regenerative hydrogen-vanadium fuel cell using an experimentally validated unit cell model, *Journal of The Electrochemical Society* (Submitted)



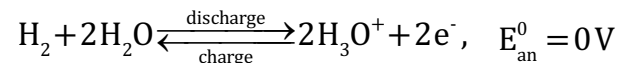
Unit cell model for the RHVFC

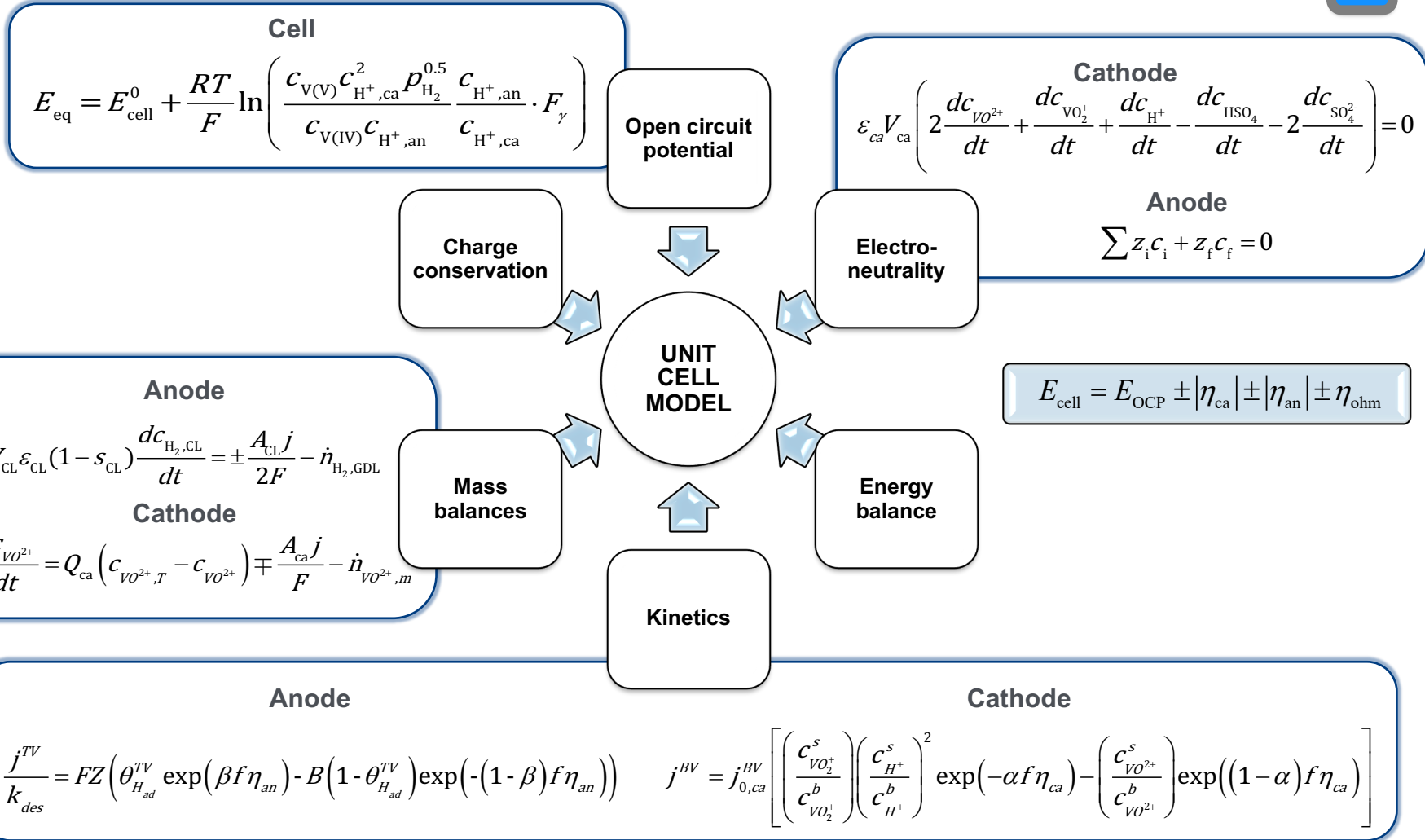


Cathode:

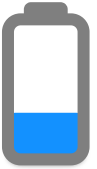


Anode:





$$N_i^m = -D_i^m \nabla c_i^m - z_i \mu_i^m F \nabla \phi + c_i^m v$$



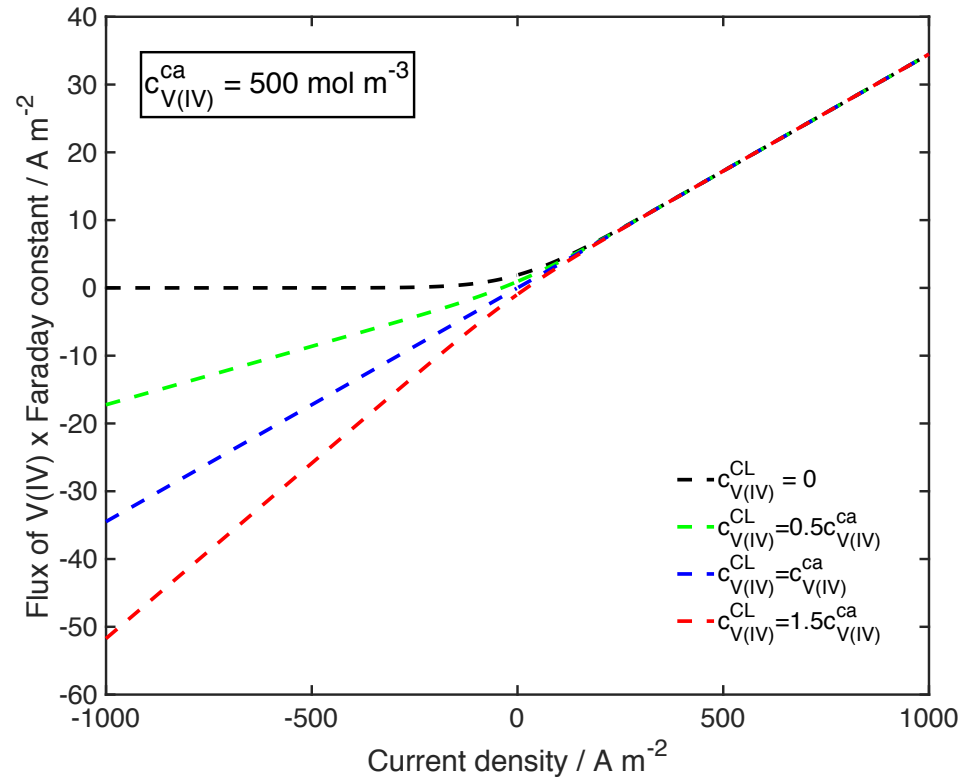
Nernst-Planck equation

Ionic species crossover

$$N_{i,m}^m = \frac{D_i^m c_i^m}{l_m} \left(\frac{\zeta (e^\zeta - c_i^{CL}/c_i^{ca})}{e^\zeta - 1} \right)$$

$$\zeta = \left(\frac{z_i F}{\sigma_m RT} + \frac{\xi_{drag}}{c_w^m D_i^m F} \right) j l_m$$

$$N_w^m = c_w^m = \frac{\xi_{drag} j}{F}, \quad j = -\sigma_m \nabla \phi$$

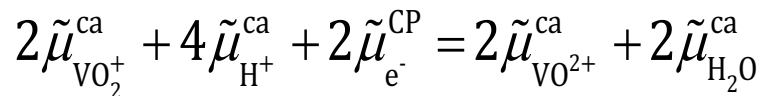


$$\tilde{\mu}_i = \mu_i + z_i F \phi$$

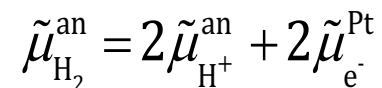
Electrochemical potential
of species i



Equilibrium



Cathode reaction



Anode reaction

$$F(\phi^{\text{M}} - \phi^{\text{M}'}) = \mu_{\text{VO}_2^+}^{\text{ca}} + 2\mu_{\text{H}^+}^{\text{ca}} - \mu_{\text{VO}^{2+}}^{\text{ca}} - \mu_{\text{H}_2\text{O}}^{\text{ca}} - \mu_{\text{H}^+}^{\text{an}} + \frac{1}{2}\mu_{\text{H}_2}^{\text{an}} + F(\phi^{\text{ca}} - \phi^{\text{an}})$$

Cell



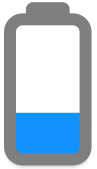
Donnan potential
across both interfaces
(dialysis potential)



$$FE_{\text{Don}}^{\text{m}} = F(\phi^{\text{ca}} - \phi^{\text{an}}) = \mu_{\text{H}^+}^{\text{an}} - \mu_{\text{H}^+}^{\text{ca}}$$

$$\mu_i = \mu_i^0 + RT \ln(a_i)$$

$$a_i = \gamma_i c_i$$



Chemical potential of
species i

Complete Nernst Equation

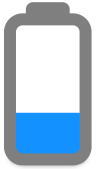
Nernst equation

$$E_{OCP} = E_{cell}^0 + \frac{RT}{F} \ln \left(\frac{c_{VO_2^+}^{ca} (c_{H^+}^{ca})^2 (p_{H_2}^g)^{0.5}}{c_{VO^{2+}}^{ca} c_{H^+}^{an}} \times \frac{c_{H^+}^{an}}{c_{H^+}^{ca}} \times \frac{\gamma_{VO_2^+}^{ca} \gamma_{H^+}^{ca}}{\gamma_{VO^{2+}}^{ca}} \right)^{\frac{F}{\gamma}}$$

Thermodynamic
derivation

Potential difference
between electrolytes

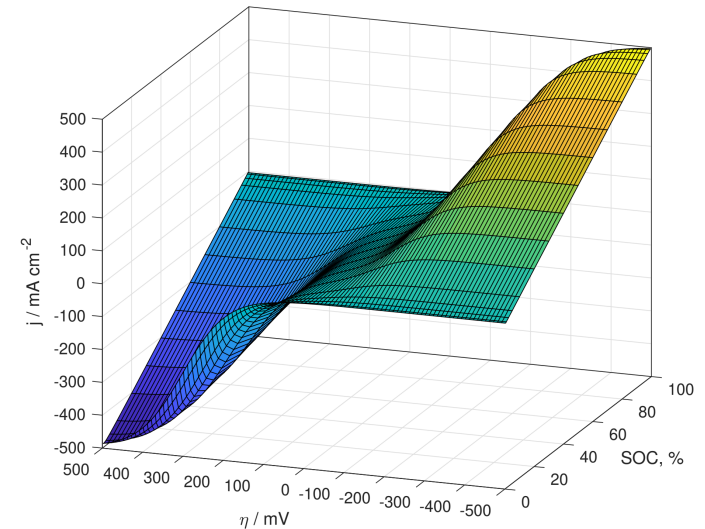
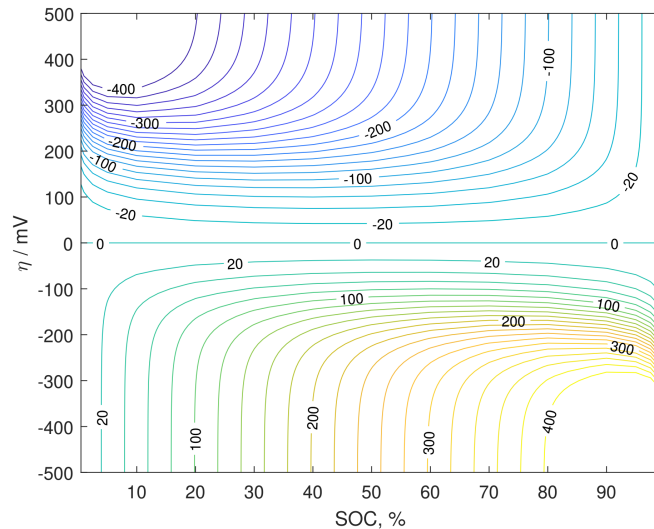
$$\phi^{ca} - \phi^{an} = \frac{RT}{F} \ln \left(\frac{c_{H^+}^{an}}{c_{H^+}^{ca}} \right)$$



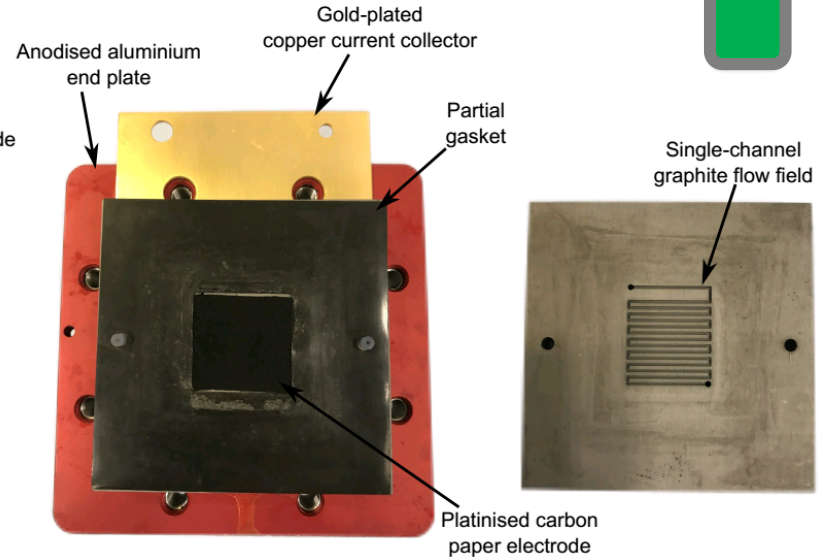
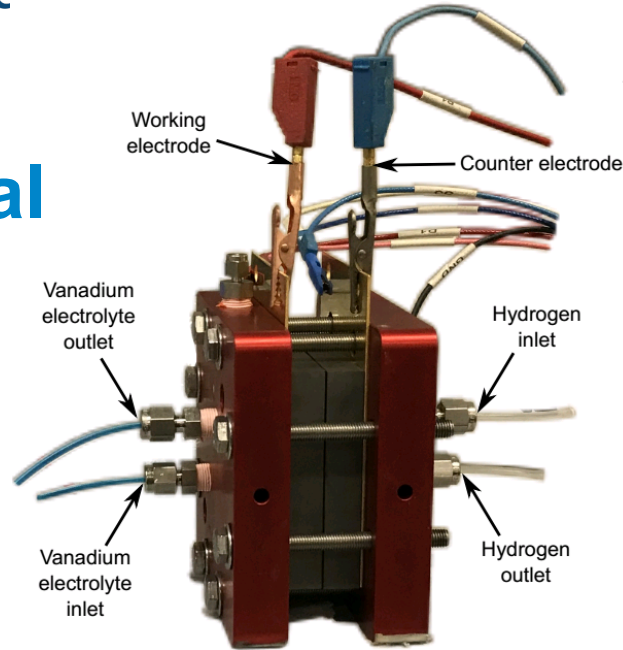
Complete Butler-Volmer equation for cathode

$$j^{BV} = j_{0,ca}^{BV} \left[\left(\frac{c_{VO_2^+}^s}{c_{VO_2^+}^b} \right) \exp\left(\frac{\alpha_a F \eta_{ca}}{RT} \right) - \left(\frac{c_{VO_2^+}^s}{c_{VO_2^+}^b} \right) \left(\frac{c_{H^+}^s}{c_{H^+}^b} \right)^2 \exp\left(\frac{-\alpha_c F \eta_{ca}}{RT} \right) \right]$$

$$j_{0,ca}^{BV} = Fk_{ca} \left(c_{VO_2^+}^b \right)^{\alpha_c} \left(c_{VO_2^+}^b \right)^{\alpha_a} \left(c_{H^+}^b \right)^{2\alpha_a} \rightarrow \text{Concentration of protons}$$



Experimental
data
RHVFC



(Scribner Associates)

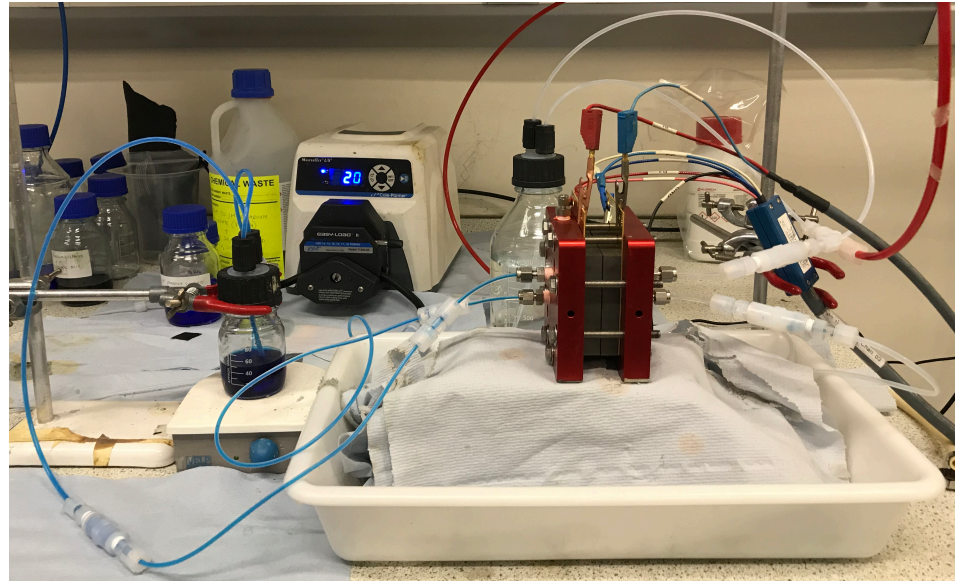
Experimental set-up 5 cm² area cell

Cathode	Freudenberg H23, 210 μm, heat treated (500 °C, 6 h)
Anode	SGL 29BC, 235 μm, 0.3 mg cm ⁻² Pt
Membrane	Nafion 115, 127 μm
Flow channel	Single-channel serpentine
Catholyte	0.8M VOSO ₄ in 60 mL 5M H ₂ SO ₄
Current density	500 – 1500 A m ⁻²
Catholyte / hydrogen flow rate	50 & 100 mL min ⁻¹ / 100 mL min ⁻¹

Tests:

- Open circuit potential (2 sets)
- Single-cycle charge-discharge (14 sets)
 - Polarization curves (2 sets)
 - Cycling test (1 set)

Experimental data RHVFC



Cell	AVIZO	TauFactor
Area	5 cm ²	
Cathode	Freudenberg H23, 210 μm, heat treated (500 °C, 6 h)	
Porosity	0.79	0.79
Specific surface area	0.429 μm ² μm ⁻³	0.144 μm ² μm ⁻³
Mean pore diameter	21.01 μm	---
Mean fibre diameter	7.92 μm	---

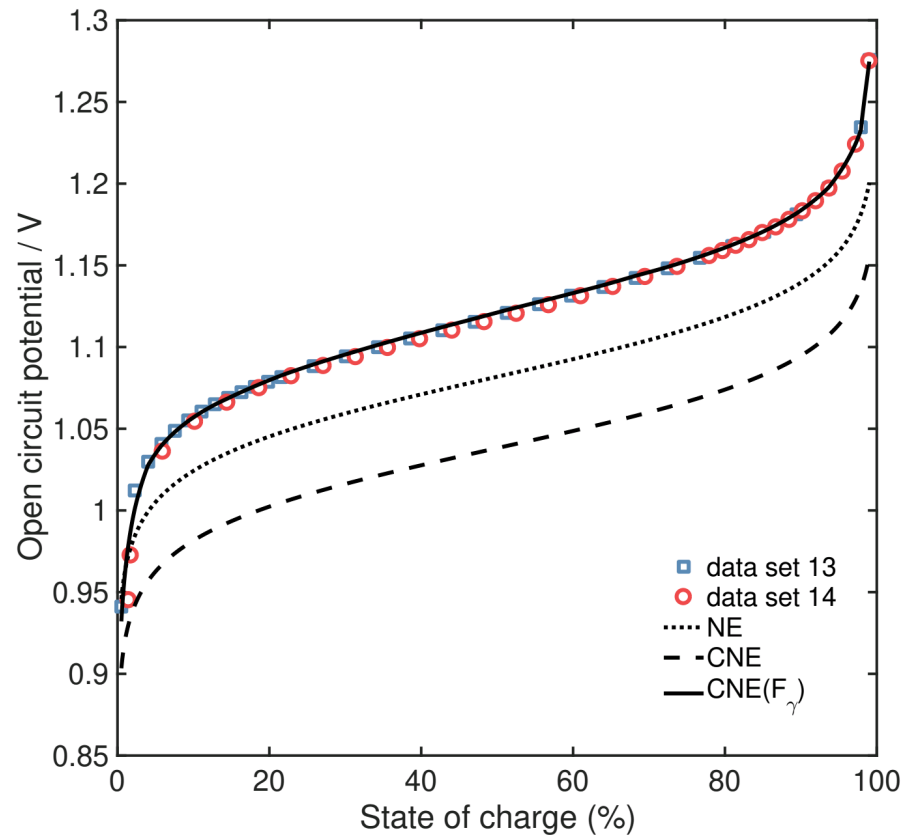




Model calibration: Open Circuit Potential

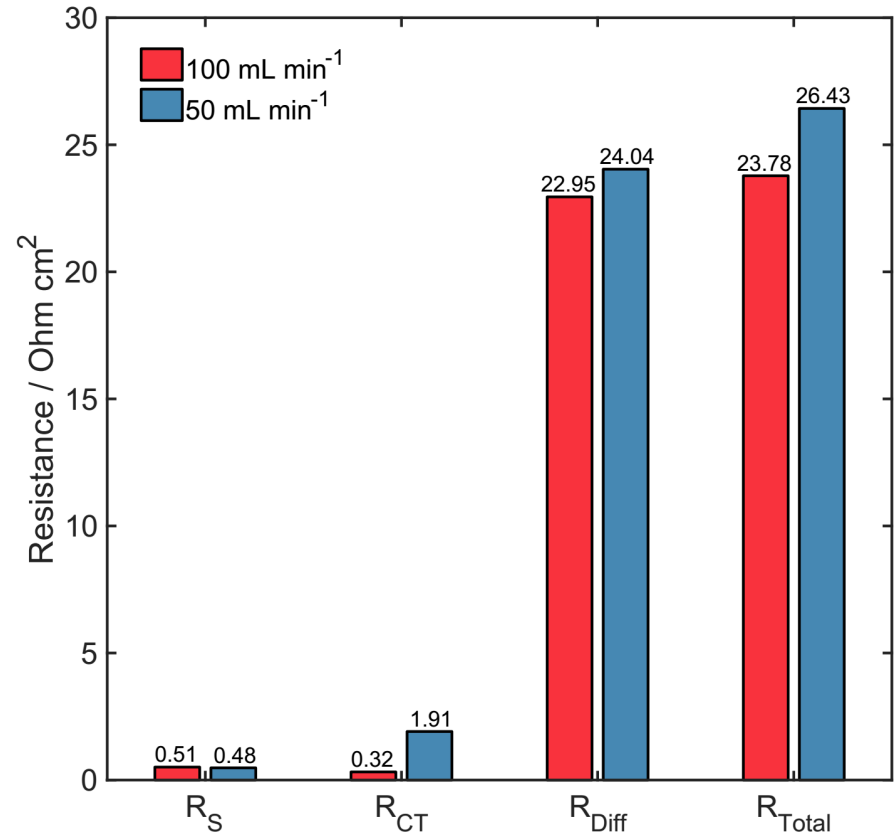
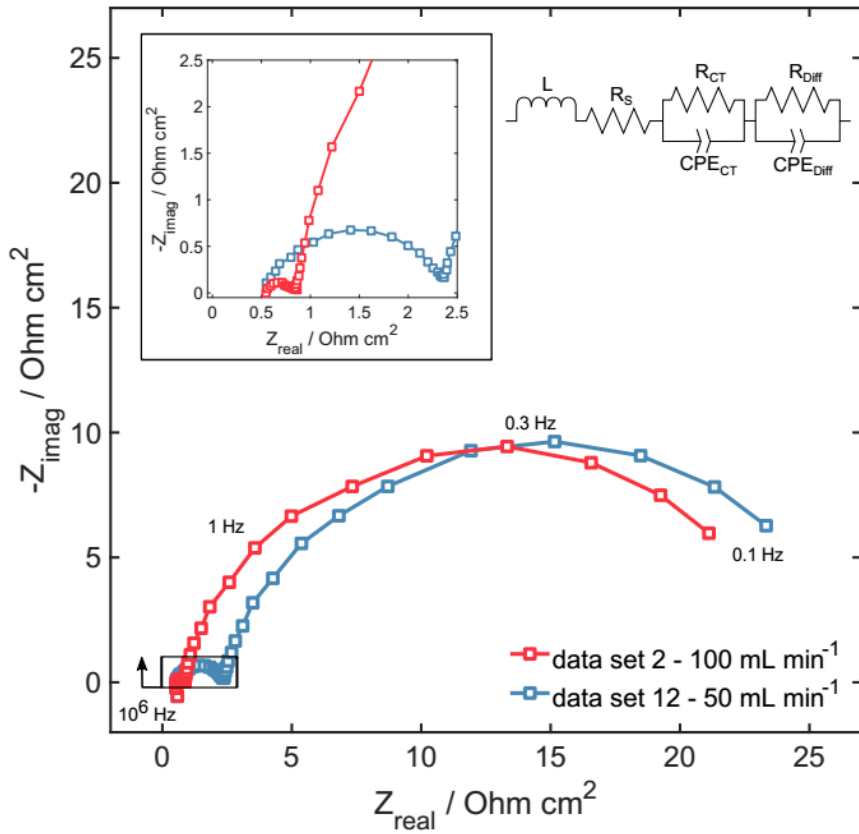
Thermodynamic derivation of CNE

$$E_{OCV} = E_{cell}^0 + \frac{RT}{F} \ln \left(\frac{c_{VO_2^+}^{ca} (c_{H^+}^{ca})^2 (p_{H_2}^g)^{0.5}}{c_{VO^{2+}}^{ca} c_{H^+}^{an}} \times \frac{c_{H^+}^{an}}{c_{H^+}^{ca}} \times F_\gamma \right)$$



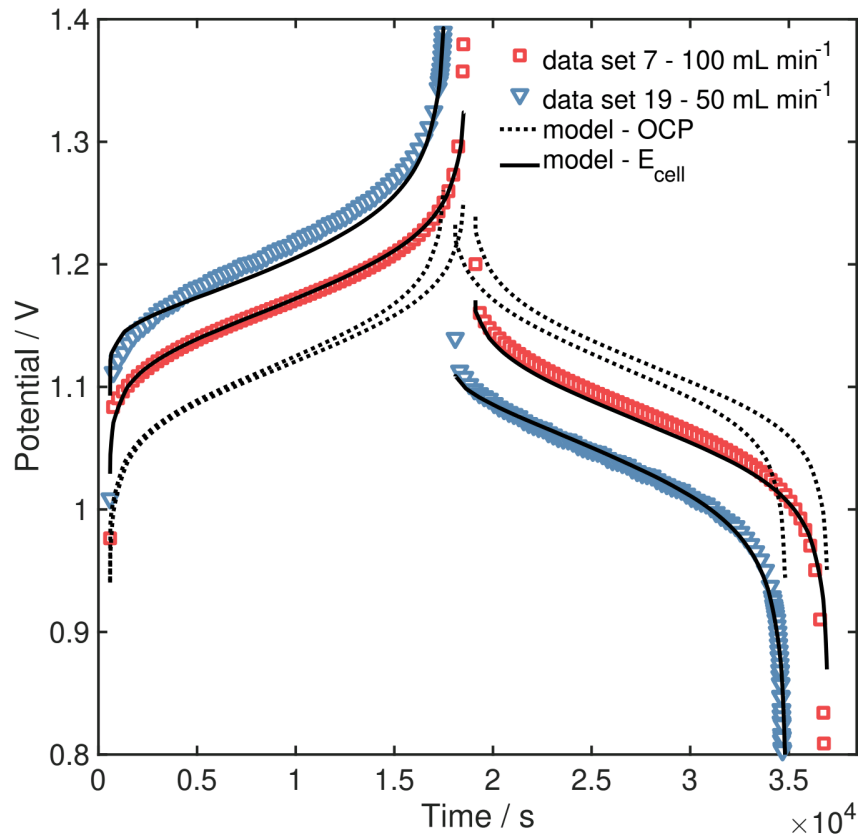


EIS data





Model calibration: cell potential



Model implementation

- *MATLAB R2017a*
- `ode15s` → solve ODE system
- `lsqcurvefit` → curve fitting, lb & ub

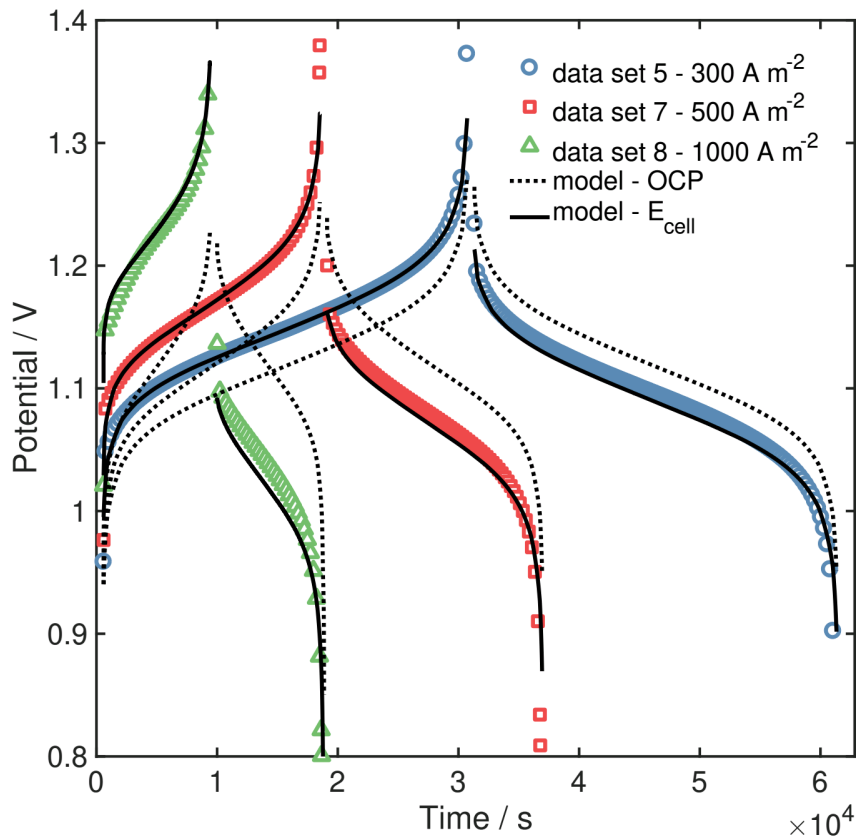
Fitting parameters

- Cathodic reaction → $K_{ca} = S_{ca}^{ac} k_{ca}^o$
- Nernst diffusion layer thickness → δ_{ca}
- Anodic reaction → k_{des}^\emptyset

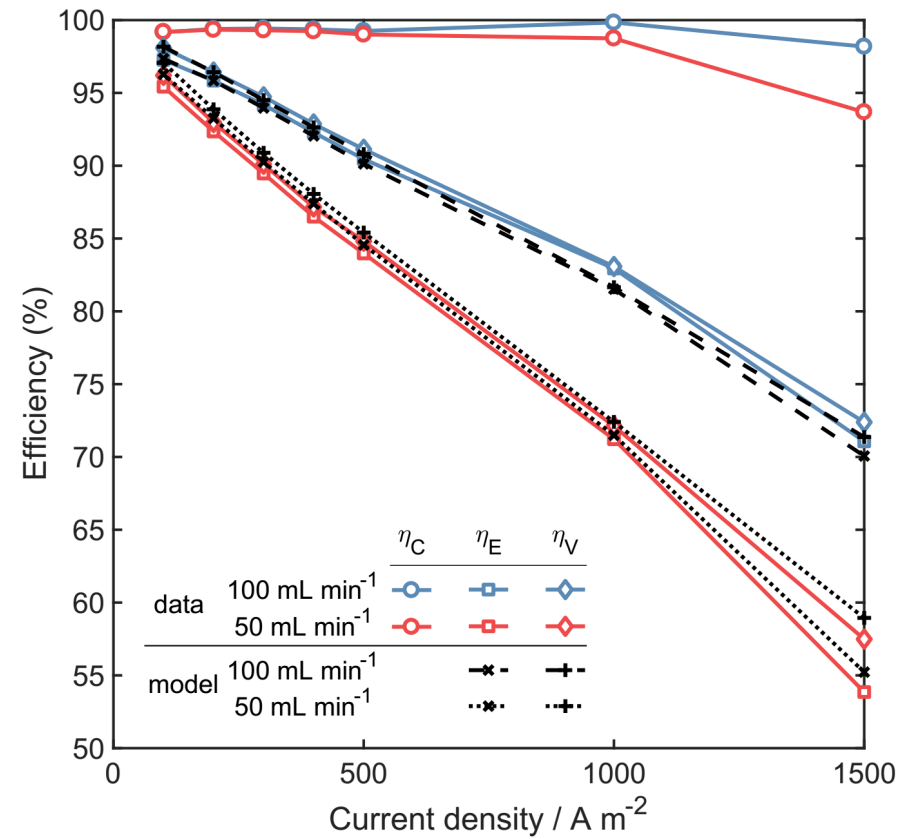
$$j = 500 \text{ A m}^{-2}$$



Charge-discharge: vary current density

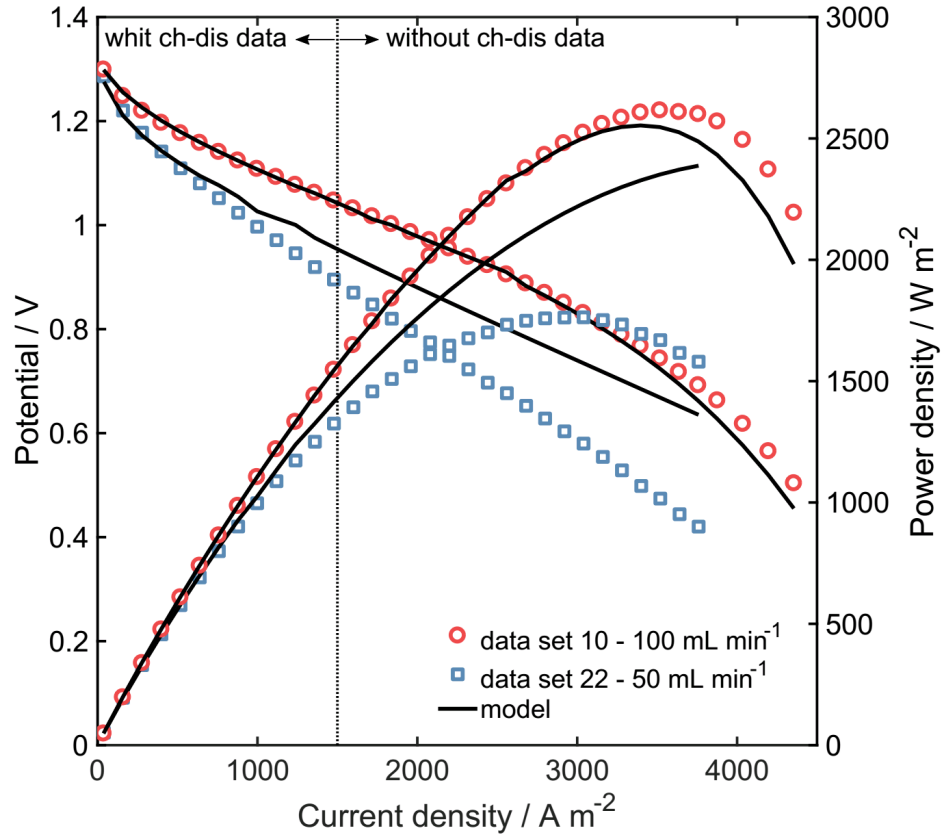
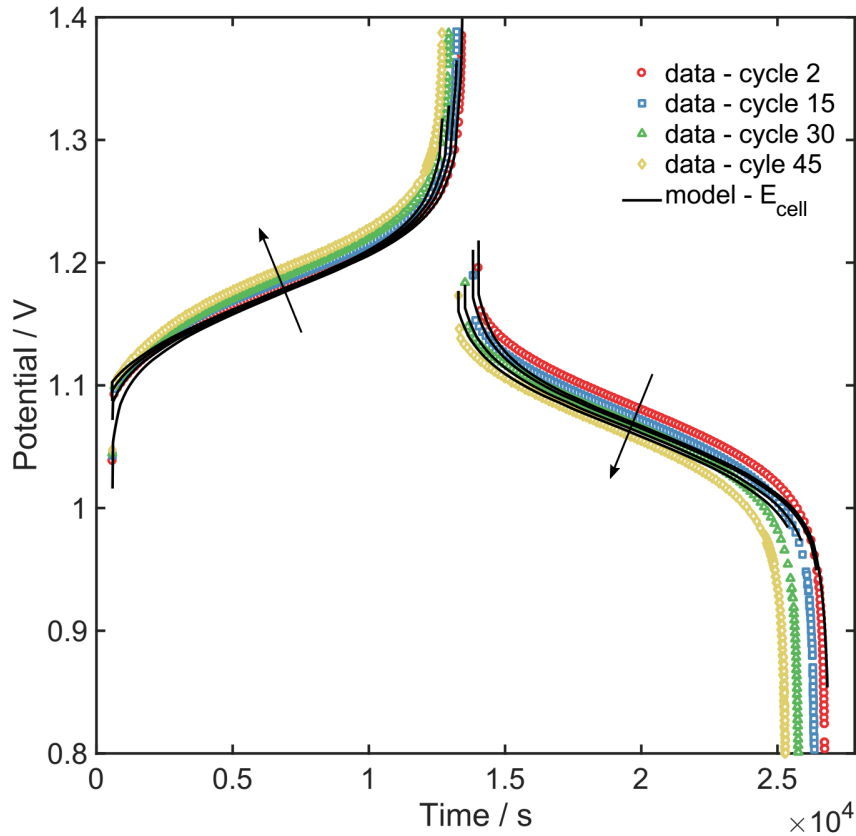


$Q_V = 100 \text{ mL min}^{-1}$





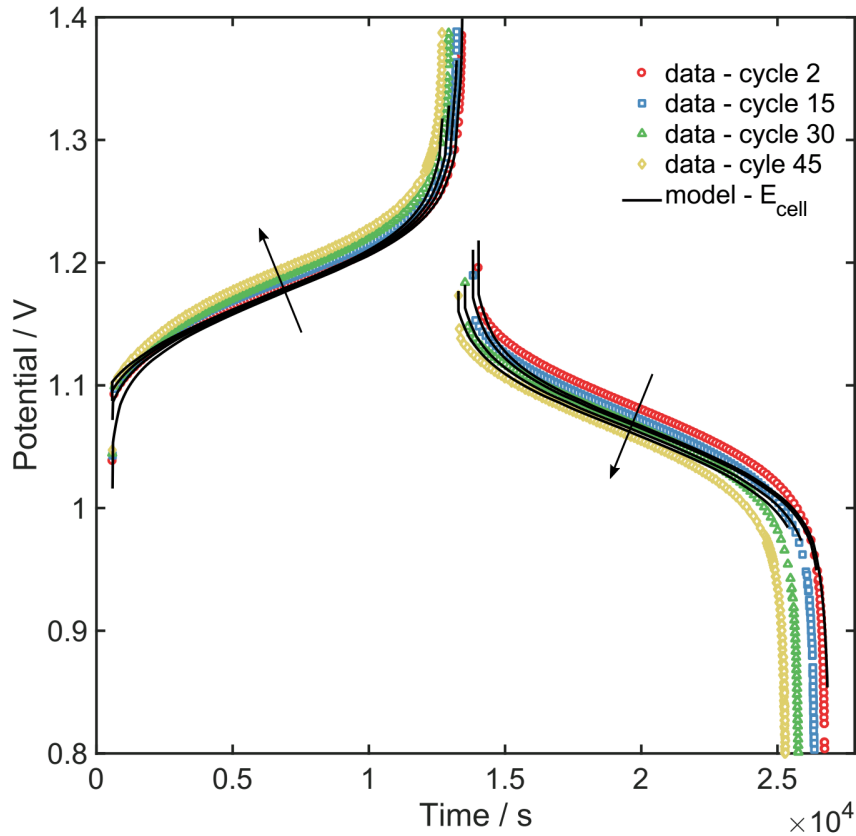
Cycling and polarization curve



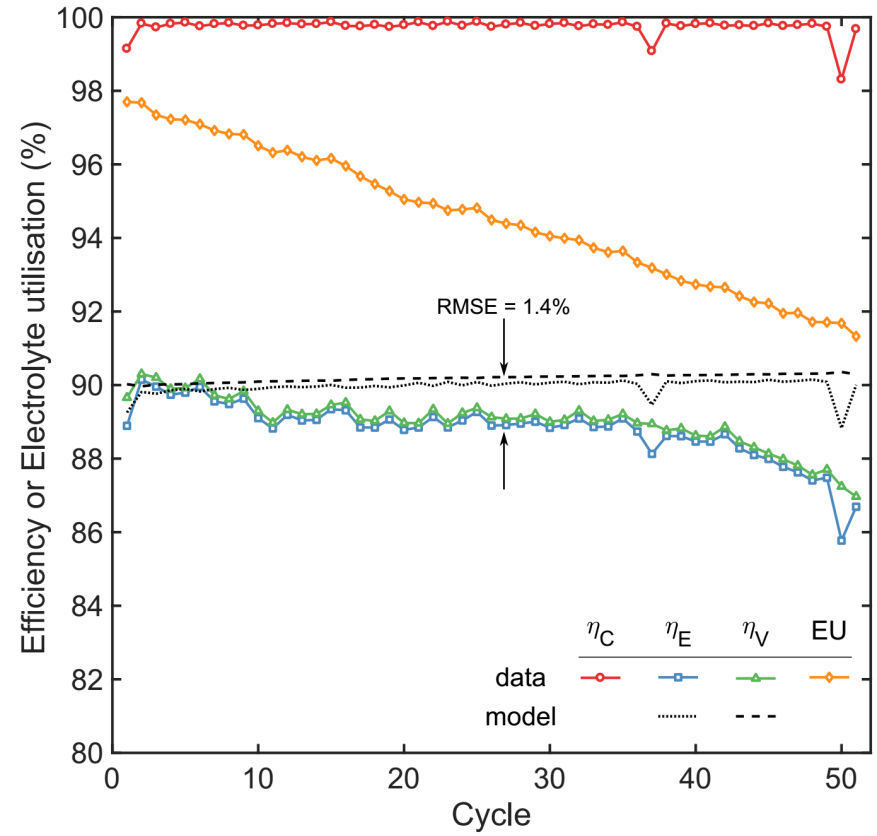
$j = 700 \text{ A m}^{-2}$, $Q_V = 50 \text{ mL min}^{-1}$, $Q_{H_2} = 30 \text{ mL min}^{-1}$

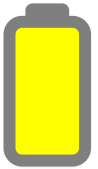


Cycling performance



$j = 700 \text{ A m}^{-2}$, $Q_V = 50 \text{ mL min}^{-1}$, $Q_{H_2} = 30 \text{ mL min}^{-1}$



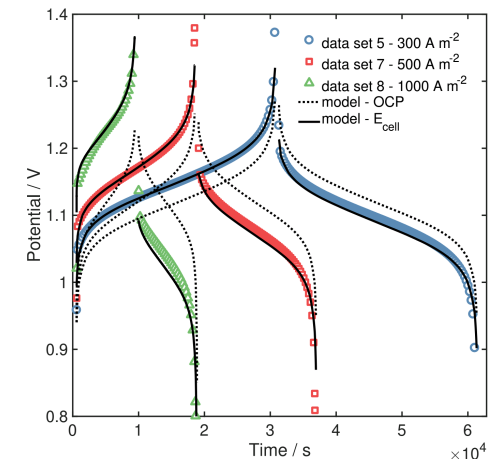


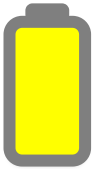
Conclusions

- The unit cell model was able to reasonably describe the cell potential dynamics at different operating conditions
- The unit cell model reproduced the cell performance for a wide range of experimental data, including power curves and cycling test
- A complete Nernst equation based on thermodynamic principles was used and fit to the OCP data
- A complete Butler-Volmer kinetic equation, considering the effect of protons concentration, was used for the cathode
- This model is a fast mathematical approach to simulate cell performance.

Thermodynamic derivation of CNE

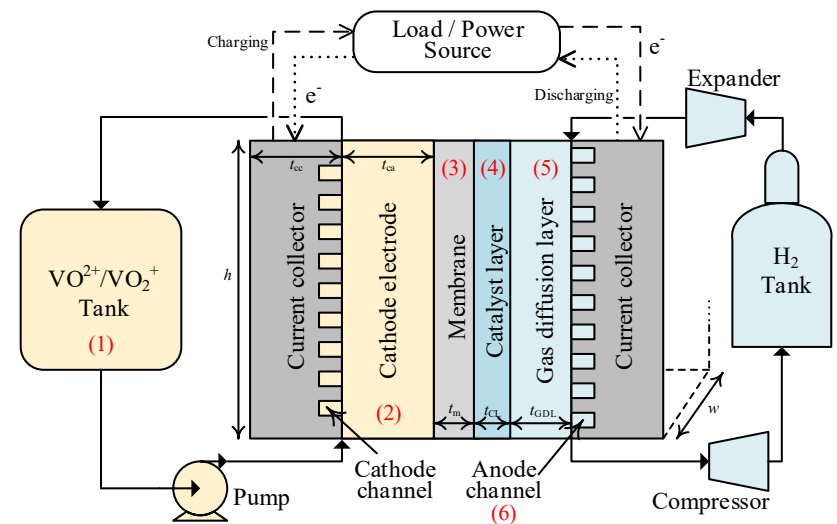
$$E_{OCP} = E_{cell}^0 + \frac{RT}{F} \ln \left(\frac{c_{VO_2^+}^{ca} (c_{H^+}^{ca})^2 (p_{H_2}^g)^{0.5}}{c_{VO_2^+}^{ca} c_{H^+}^{an}} \times \frac{c_{H^+}^{an}}{c_{H^+}^{ca}} \times F_\gamma \right)$$





Next steps

- Detailed crossover model vanadium and sulphuric acid species and water in a hybrid H₂-based redox flow battery
- Study possible side reaction of vanadium ionic species at anode catalyst layer to correctly simulate the evolution of concentration.



Imperial College
London



EPSRC

Engineering and Physical Sciences
Research Council

**BECAS
CHILE**



Electrochemical Science and Engineering Group

Thank you!

Catalina A. Pino Muñoz

c.pino15@imperial.ac.uk

March 12th, 2019